Outline

- Storage hierarchy
- Disks
- RAID
- Spark
- Buffer Manager
- File Organization
- Indexes
- B+-Tree Indexes
- Etc..

Index

- A data structure for efficient search through large databases
- Two key ideas:
 - The records are mapped to the disk blocks in specific ways
 - Sorted, or hash-based
 - Auxiliary data structures are maintained that allow quick search
 - Think library index/catalogue
- Search key:
 - Attribute or set of attributes used to look up records in indexes
 - E.g. SSN for a persons table
 - Can be different from candidate or primary keys
- Two main types of indexes
 - Ordered indexes
 - Hash-based indexes

Ordered Indexes

- We assume ordered indexes are sorted by search key
- Primary ("clustered") indexes
 - File ordering = search key
 - Can have only one primary index on a relation
- Secondary ("nonclustered) index
 - File ordering != search key

Brighton			A-217	Brighton	750	
Downtown		├── →	A-101	Downtown	500	5
Mianus			A-110	Downtown	600	\square
Perryridge		\rightarrow	A-215	Mianus	700	\square
Redwood		\rightarrow	A-102	Perryridge	400	\square
Round Hill	1		A-201	Perryridge	900	\square
			A-218	Perryridge	700	\square
		$\langle \rangle$	A-222	Redwood	700	$ \prec $
			A-305	Round Hill	350	

• *dense* means every search value has an index entry

Primary <u>Sparse</u> Index

- Index doesn't need every key
 - Allows for very small indexes
 - Better chance of fitting in memory
 - Tradeoffs?
 - Some amount of in-memory search
 - Must access the relation file even if the record is not present



Secondary Index

- Relation sorted on *branch* (not search key)
- But we want an index on balance
- Must be dense



Multi-level Indexes

- What if the index itself is too big for memory?
- Assume:
 - relation size = 1,000,000,000:
 - block size = 100 tuples
- Then:
 - number of pages = 10,000,000
 - 16 bytes/entry is 120 MB for index
 - This is too much...
- Solution
 - Build an index on the index itself



Multi-level Indexes

- How do you search through a multi-level index ?
- Same search keys



Multi-level Indexes

- What about keeping the index up-to-date ?
 - Tuple insertions and deletions
 - Need to modify index as data is modified
 - This is a static structure
 - Need overflow pages to deal with insertions
 - Works well if no inserts/deletes
 - Not so good when inserts and deletes are common

Hash Indexes

Search:

indexes.

overflow bucket bucket 0 Extends the basic idea bucket 1 A-217 Brighton A-215 A-101 Find the bucket with search key Downtown A-305 A-110 Downtown Search the bucket bucket 2 A-215 Mianus Follow the pointer A-101 A-102 Perryridge A-110 Perryridge A-201 Range search? bucket 3 A-218 Perryridge A-201 A-217 a < X < b? A-222 Redwood A-102 A-305 Round Hill 350 bucket 4 Must be dense. A-218 Often used for secondary bucket 5 bucket 6 A-222

750

500

600

700

400

900

700

700

Hash Indexes

- · Very fast search on equality
- Can't do range searches at all •
 - Must scan the file
- Inserts/Deletes
 - Overflow pages can degrade the performance
 - Two approaches
 - Dynamic hashing (rehashing using new hash alg)
 - Extendible hashing (rehashing using more hash bits (trie))
 - bucket at a time can be extended (rehashed w/ more bits)



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B+-Tree Node Structure

• Typical node



- K_i are the search-key values
- P_i are pointers to children (for non-leaf nodes) or pointers to records or buckets of records (for leaf nodes).
- The search-keys in a node are ordered

$$K_1 < K_2 < K_3 < \ldots < K_{n-1}$$

• Height is #edges from leaf to root

Example B+-Tree Index



- *n* = 3 (at most 3 ptrs)
 - each interior node can have up to *n* children
 - each leaf can have up to n-1 keys

• *h* = 2 (height)

Properties of B+-Trees

- It is balanced
 - Every path from the root to a leaf is same length
- Leaf nodes (at the bottom)
 - P_1 contains the pointers to tuple(s) with key K_1
 - ...
 - P_n is a pointer to the *next* leaf node
 - Up to *n-1* key values
 - Must contain at least $\left\lceil \frac{n-1}{2} \right\rceil$ key values
 - <u>n=4 implies at most 4 pointers</u>, up to 3 values, minimum of 2 values

Properties

• Interior nodes

P_1	K_1	P_2	•••	P_{n-1}	K_{n-1}	P_n
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- All tuples in the subtree pointed to by P_i , have search key < K_i
- To find a tuple with key $K_{j'} < K_{j'}$ follow P_j
- Contains:
 - at most *n* pointers
 - at least $\left\lceil \frac{n}{2} \right\rceil$ pointers (unless root)